

Enhancing Digital Twins with Privacy-Aware EO-ML Methods

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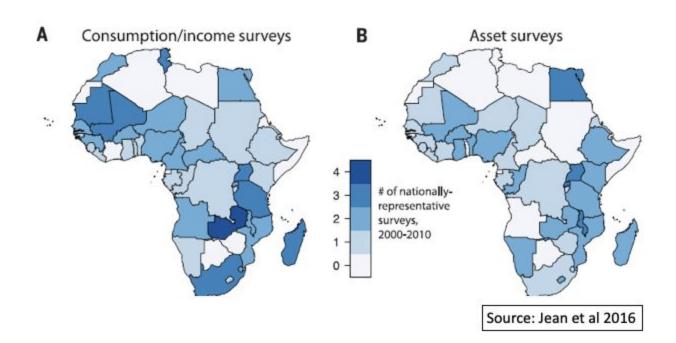


The AI and Global Development Lab

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Digital Twins in the Global South

Because of a lack of high-frequency human-development data across time and space, scholarship on poverty is limited.





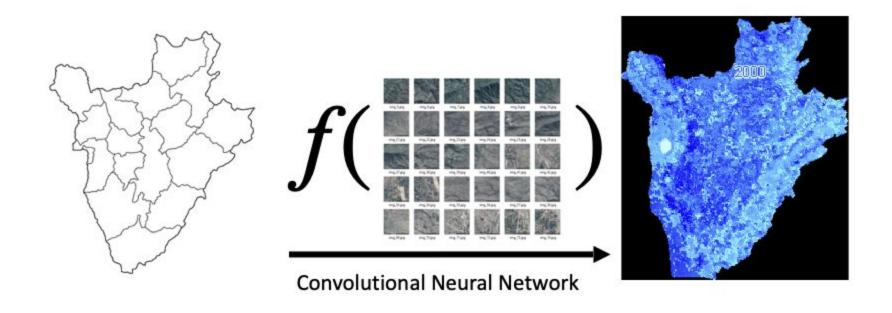




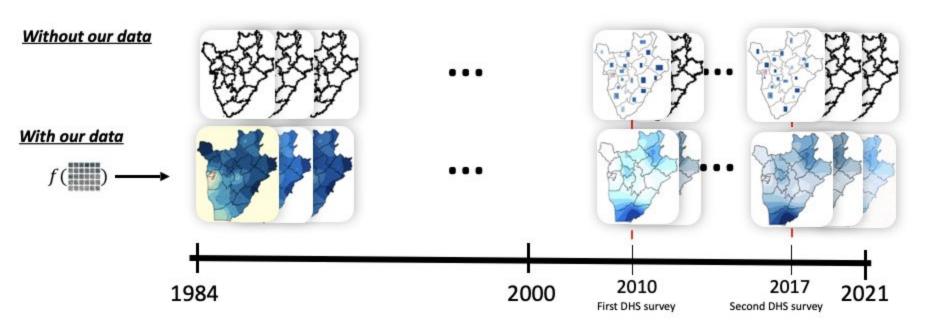




Constructing an Algorithm for Poverty Measurement

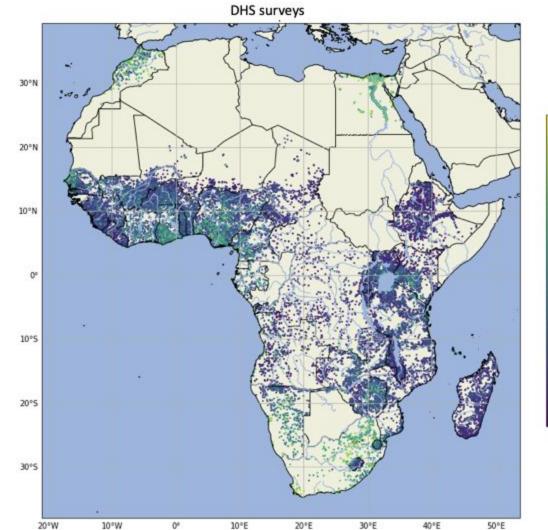


Our Data Product: A Continent-Wide Map of Poverty



Ground "truth"

- International wealth index (material assets)
- ≈57 000 DHS survey units ("clusters")
- From 36 countries
- 1984-2024
- Units: clusters consisting of about 200-300 households



But... Noise Is Added For Privacy



- Households
- Cluster center
- Displaced location (released coordinates)

Multiple
Imputation:
Not Twins—
But Icosuplets

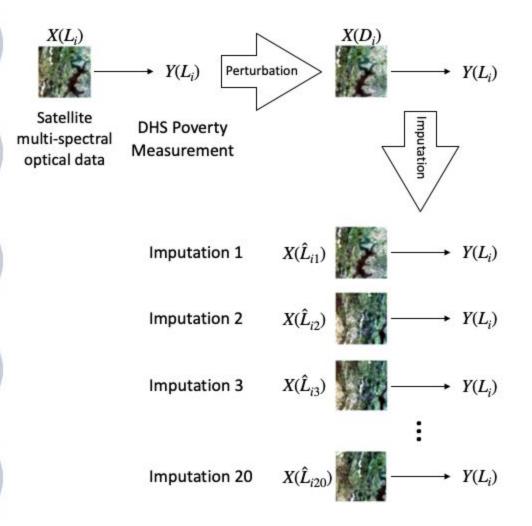




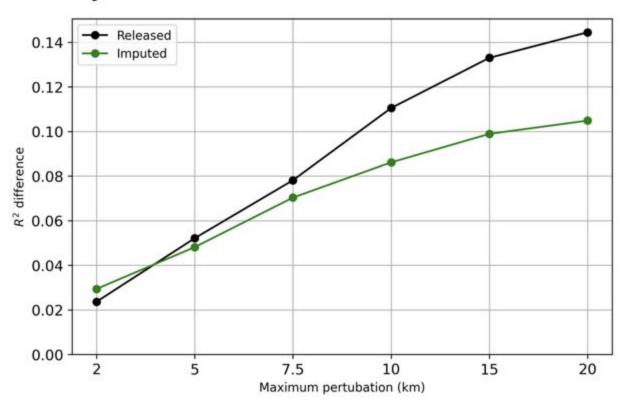
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Multiple Imputation: Not Twins— But Icosuplets



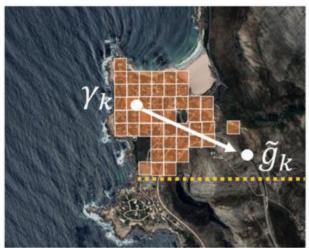
Preliminary Results



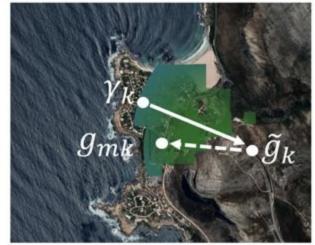
Correcting For Privacy Using Multiple Imputation?

- What is being imputed?
 - True location L of each cluster i
- Known: Perturbed location D_i and perturbation distribution $Pr(D_i | L_i)$
- Imputation: Given a prior $\pi(L_i)$, sample from posterior $\pi(L_i | D_i) \propto \pi(D_i) \Pr(D_i | L_i)$

ullet Train and test model using the satellite images at the imputed locations \hat{L}_i .







Prior Likelihood Posterior $\frac{\pi(\gamma_k)p(\tilde{g}_k \mid \gamma_k)}{p(\tilde{g}_k)} = \pi(\gamma_k \mid \tilde{g}_k)$

Legend

Administrative boundary



Human Settlement



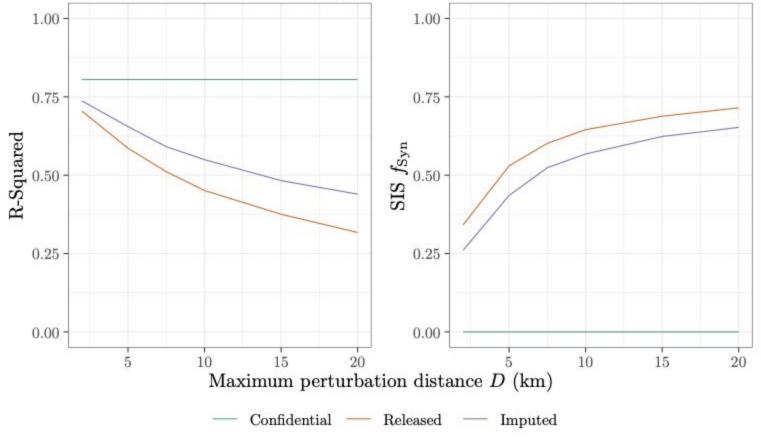
Likelihood of location



Probability of location

- Ideal (A): Evaluate a fitted model \mathscr{A} on the confidential dataset \mathscr{D} .
- Pragmatic (B): Evaluate \mathscr{A} on a 'synthetic' dataset $\mathscr{D}_{\operatorname{Syn}}$.
- What can (B) tell us about (A), specifically with respect to R-squared: $R^2 = 1 RSS/TSS$?
- With some simple algebra, $R^2 = R_{\mathrm{Syn}}^2 + (1 R_{\mathrm{Syn}}^2) f_{\mathrm{Syn}}$, where

$$f_{\rm Syn} = \frac{RSS_{\rm Syn}/RSS - TSS_{\rm Syn}/TSS}{RSS_{\rm Syn}/RSS}$$



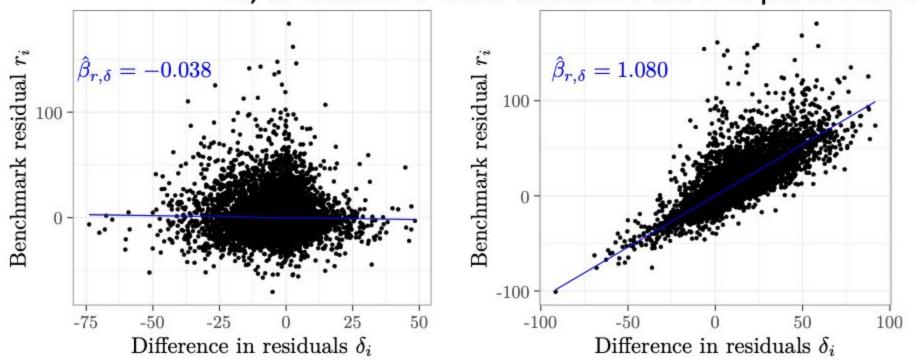
Yes, at least for a lower bound on the true performance

- We have
$$RSS_{\mathrm{Syn}} = RSS + [1 - 2\hat{\beta}_{r,\delta}] \sum_{i} \delta_{i}^{2}$$

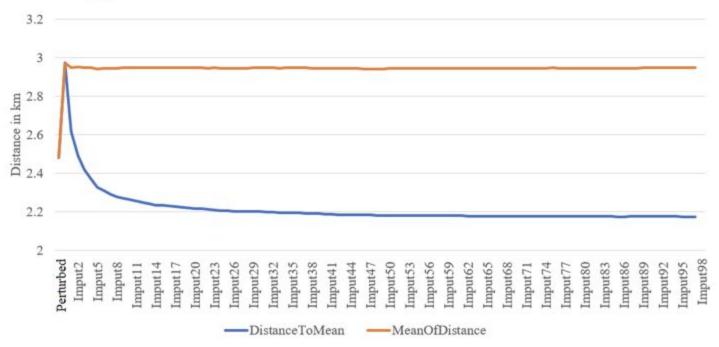
where $\hat{\beta}_{r,\delta}$ is the regression coefficient when regressing the benchmark residuals r_i on the difference of residuals $\delta_i = r_i - r_i^{\rm Syn}$.

- Then $R^2 \geq R_{\mathrm{Syn}}^2$ if and only if $\hat{\beta}_{r,\delta} \leq 0.5$ (assuming $TSS = TSS_{\mathrm{Syn}}$).
- I.e. R_{Syn}^2 is a lower bound as long as δ_i is not informative of r_i .

Yes, at least for a lower bound on the true performance

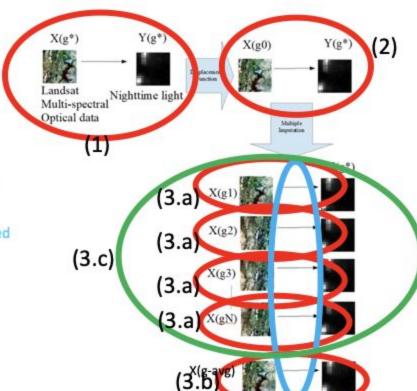


Compare MI average distance with distance to average of MI



Comparing 5 DL models

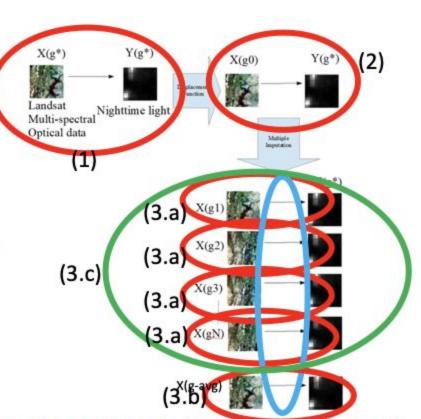
- (1) DL trained on confidential data
- (2) DL on released data
- (3.a) DL on each imputation and than taking average
- (3.b) DL on the average location of the imputed data
- (3.c) DL on all imputed data collectively



Which one predicts most accurately, and which one least? When measuring accuracy against what benchmark?

Evaluating the 5 DL models on five different test datasets

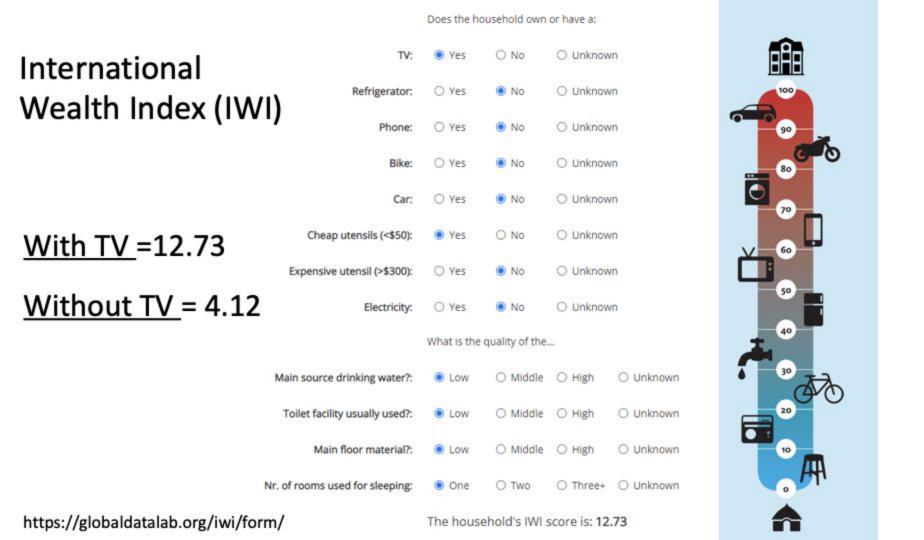
- (1) Test on confidential data
- (2) Test on released data
- (3.a) Test on each imputation and than taking average
- (3.b) Test on the average location of the imputed data
- (3.c) Test on all imputed data collectively

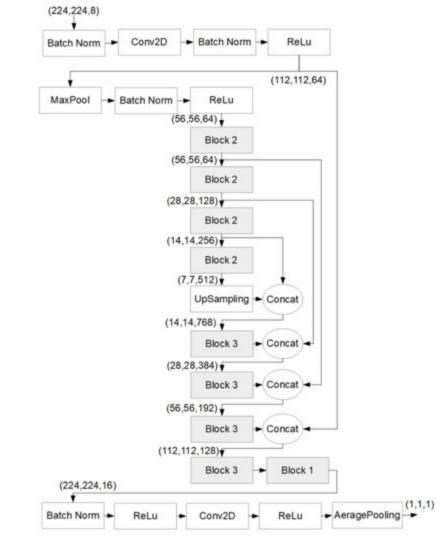


Which one predicts most accurately, and which one least? When measuring accuracy against what benchmark?

Evaluating the 5 DL models on five different te datasets					Test dataset(s) \mathcal{D}^{Te}						
					Single				Multiple		
44.7					(1)	(2)	(4)	(3b)	(3c)	(3a)	
(1) Test on confidential data				(1)	0.77	0.56	0.58	0.62	0.58	0.69	
(2) Test on released data	DTr.	Single		(2)	0.69	0.64	0.62	0.64	0.62	0.66	
	Training dataset(s) @			(4)	0.70	0.64	0.64	0.66	0.63	0.68	
(3.a) Test on each imputation and than taking average				(3b)	0.72	0.63	0.62	0.67	0.63	0.68	
				(3c)							
(3.b) Test on the average location of the imput data		-		(3a)	0.73	0.67	0.69	0.69	0.63	0.69	
			seeds	(1)	0.81	0.59	0.61	0.66	0.57	0.70	
			sec	(2)	0.70	0.65	0.63	0.66	0.59	0.66	
(3.c) Test on all imputed data collectively			diff.	(4)	0.72	0.66	0.66	0.68	0.62	0.68	
				(3b)	0.74	0.65	0.65	0.69	0.62	0.69	
(4) Test on a single imputed data	-		/w	(3c)	***************************************			22-14-00-12	000000000000000000000000000000000000000	0.740 X 00 E E E	

Which one predicts most accurately, and which one least? When measuring accuracy against what benchmark?





X

